# AI-Driven Cybersecurity for Defense Networks: A Mathematical Approach with DDoS Attack Analysis

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#### ABSTRACT

This paper presents a novel machine-learning pipeline tailored for proactive cyber defense within high-stakes military networks, addressing the pressing need to detect and neutralize sophisticated threats such as Distributed Denial-of-Service (DDoS) attacks in near real-time. Our approach begins with a mathematically rigorous anomaly detection framework, constructed on the premise that normal network traffic follows an identifiable statistical distribution, deviations from which can serve as early indicators of malicious behavior. By exploiting deep neural architecturesautoencoders enhanced with domain-specific specifically heuristics—our pipeline learns complex traffic patterns. encompassing both high-volume and subtle "low-and-slow" attack methodologies. A core component of our methodology involves deriving explicit theoretical bounds for detection accuracy and false alarm rates, ensuring that defense operators can calibrate the system according to mission-critical thresholds.

Unlike traditional rule-based Intrusion Detection Systems (IDS), which rely on predefined signatures that may lag behind rapidly evolving threat vectors, our framework dynamically adapts to new anomalies through incremental retraining and advanced feature extraction from raw packet captures. This adaptability is bolstered by

an in-depth modeling of domain constraints, such as multi-level security enclaves and restricted communication protocols frequently found in defense infrastructures. We further refine our approach using data enrichment strategies that factor in adversarial knowledge—namely, intelligence regarding attacker

Tactics, Techniques, and Procedures (TTPs)—to strengthen detection of stealthy infiltration attempts.

We validate the proposed model on a real-world dataset meticulously curated to reflect scenarios encountered in defense settings, including not only overt high-throughput DDoS floods but also more covert attacks designed to circumvent conventional monitoring solutions. Across extensive trials, our anomaly detection pipeline demonstrates an exceptional balance between sensitivity (exceeding 95% detection of malicious flows) and specificity (maintaining false positive rates below 2%), well-suited for situations where mission success hinges on rapid identification of critical threats without burdening human analysts with excessive false alarms. In addition, we illustrate the pipeline's robustness to partial sensor failures and encrypted payloads, underscoring its capacity to operate effectively in complex or degraded conditions.

Finally, our empirical experiments highlight the importance of interpretability for command-level decisionmaking, a feature we address by providing post-hoc explanations of the model's alarms through gradientbased saliency maps and feature contribution metrics. These insights enable cybersecurity operators to rapidly assess the validity of flagged anomalies, thereby fostering trust in the system's automated response mechanisms. Taken together, the proposed pipeline equips defense organizations with a mathematically sound, AI-driven cybersecurity platform capable of preemptive threat detection, dynamic adaptation to novel attack types, and a validated track record of maintaining high operational fidelity. This combination of theoretical rigor, real-world data validation, and operational considerations affirms its potential as a cornerstone for next-generation cyber defense strategies in mission-critical environments

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# **INTRODUCTION**

The proliferation of sophisticated cyberattacks on mission-critical defense infrastructures underscores the urgent need for robust, proactive security measures that exceed the capabilities of conventional Intrusion Detection Systems (IDS). In modern conflict scenarios, the disabling of command-andcontrol networks via targeted assaults-most notably Distributed Denial-of-Service (DDoS) attacks-can cripple a nation's capacity to respond to threats, leading to severe operational and strategic consequences. These high-stakes environments require cybersecurity solutions that not only detect malicious activity in near real-time, but also adapt to a rapidly evolving threat landscape without introducing excessive false alarms that hinder defensive response efforts.

Existing IDS solutions often rely on manually curated rules or signatures, an approach inherently reactive to new exploits and techniques. Adversaries adept at obfuscation, zero-day vulnerabilities, and multi-stage infiltration routinely bypass static filtering, highlighting a key limitation of purely rulebased systems. At the same time, the volume, velocity, and variety of defense network trafficranging from encrypted battlefield communications to sensor telemetry-pose significant challenges for traditional monitoring solutions. As a result, there is a pressing demand for mathematically grounded machine learning methods that leverage anomaly detection paradigms, thereby enabling systems to identify and flag suspicious deviations without relying on previously recognized attack signatures.

This paper proposes a comprehensive framework for addressing these challenges through a confluence of theoretical modeling, advanced neural network architectures, and in-depth empirical validation. Our primary objective is to formalize network behavior as a distribution from which normal traffic emerges, thereby quantifying anomalies by their statistical divergence from this norm. By integrating domainspecific constraints-such as restricted communication protocols in top-secret enclaves or compliance with multi-level security partitions-we ensure that the modeling process remains faithful to real defense operational constraints. Building atop this formulation, we implement a deep learningbased detection algorithm designed to capture both overt flood-based DDoS attacks and more insidious infiltration attempts that subtly modify traffic patterns over extended time windows.

In support of practical deployment, we contribute an illustrative DDoS case study grounded in real-world malicious traffic logs. The study showcases how our

system outperforms baseline IDS and simpler machine learning approaches by demonstrating higher detection sensitivity and lower false positive rates. Beyond raw detection metrics, we employ interpretability techniques, such as attention-weight visualizations and statistical significance measures, to provide cybersecurity analysts with post-hoc explanations of triggered alarms. This interpretability is particularly relevant when an automated system must rapidly escalate events to high-level command structures for immediate action.

Thus, our work makes several key contributions: (1) a mathematical modeling of network traffic distribution, guiding anomaly thresholds; (2) a defense-oriented deep anomaly detection architecture that adapts to the complexities of military-grade networks; and (3) a real-world DDoSfocused evaluation illustrating tangible benefits in both detection efficacy and operational feasibility. Together, these advancements underscore the capacity of AI-driven cybersecurity solutions to safeguard critical defense infrastructures against highly adaptive threats, paving the way for further research on scalable, flexible, and explainable cyber defense mechanisms.

#### **Related Work**

Cybersecurity research has historically split intrusion detection into two primary paradigms: signature-based and anomaly-based detection. Signature-based systems match incoming packets against known malicious patterns or rules, exemplified by tools such as Snort or Suricata. While these systems excel at quickly flagging previously observed threats, they lack adaptability in the face of novel or polymorphic attacks. Moreover, maintaining and updating signature repositories can especially challenging in military-grade be networks, where zero-day exploits and advanced persistent threats (APTs) emerge rapidly. As a result, purely signature-driven approaches often fail to meet the stringent requirements of a high-stakes environment that demands low latency and near-zero tolerance for missed intrusions.

By contrast, *anomaly-based* intrusion detection systems learn a model of normal traffic behaviors, flagging deviations as potentially malicious. These solutions offer a proactive stance against unknown threats, including stealthy infiltration attempts and zero-day vulnerabilities. However, anomaly detection also poses its own challenges: capturing the distribution of benign patterns in dynamic and heterogeneous networks can lead to elevated false positive rates if the learned model is insufficiently representative. This trade-off is particularly problematic in mission-critical infrastructures, where excessive alarms may overload human operators and reduce overall responsiveness.

In recent years, advances in machine learning and deep learning have catalyzed a new wave of sophisticated anomaly detection methods. One prominent approach leverages autoencoders to learn a compressed representation of normal traffic, with high reconstruction error signaling anomalies. Generative Adversarial Networks (GANs) have also been applied to create synthetic yet realistic normal patterns, improving the discriminator's ability to isolate out-of-distribution samples. Meanwhile, networks (GNNs) graph neural capture communication and node-to-node topology dependencies, showing particular promise in distributed military networks where multi-level security enclaves, specialized protocols, and timecritical data flows intersect.

Despite these broad innovations, the literature on DDoS detection within defense contexts remains comparatively sparse. Existing work often focuses on enterprise or cloud environments, sidelining the unique constraints of military infrastructures-such as encrypted channels, ephemeral nodes, or physically segments. Moreover, high-stakes isolated deployments underscore the necessity of *reliability* and interpretability: a real-time system must detect large-volume DDoS attacks with minimal delay, and any false alarms must be explainable to satisfy command-level oversight. Researchers have begun addressing interpretability by integrating saliency analysis and attention-based layers into cyber anomaly detectors, translating model decisions into human-readable explanations.

Within the defense domain, further complexities arise from multi-level security policies and restricted communication protocols, compelling anomaly detection to adapt robustly across multiple enclaves. Offensive actors targeting these environments often leverage advanced persistent threats to establish footholds, later launching large-scale DDoS or sabotage. Consequently, the impetus to develop mathematically grounded, AI-driven anomaly detectors that remain accurate under uncertain or adversarial conditions is more pronounced than ever.

Therefore, our work bridges the gap by proposing a novel pipeline specifically designed for DDoS detection in defense networks. It builds upon and extends the current anomaly-based paradigm through a mathematically rigorous framework, advanced deep learning architectures, and domainspecific constraints tailored for high-stakes reliability. We also incorporate interpretability tools that address the unique operational requirements of military cybersecurity, offering both detection efficacy and transparency-an essential step toward the practical deployment of ML-based intrusion detection in sensitive environments.

#### **Problem Formulation**

Modeling defense-network traffic from a rigorous mathematical perspective begins by representing observations as a high-dimensional time series. Let  $\{x_t\}_{t=1}^T$  denote a sequence of feature vectors, where each vector  $x_t \in \mathbb{R}^d$  captures a snapshot of network behavior at time t. The dimension d might include packet rates, source IP diversity, protocol usage distributions, port activity histograms, and even higher-level flow statistics. Our fundamental objective is to detect deviations indicative of malicious activity, notably high-impact Distributed Denial-of-Service (DDoS) attacks, by scrutinizing the temporal evolution of these high-dimensional observations.

To lay the foundation for anomaly detection, we assume that under benign operating conditions,  $x_t$  belongs to some (unknown) stationary distribution D. In other words, if network traffic is not under any active cyberattack, the statistical properties of  $x_t$  remain relatively stable through time. This assumption is particularly valid in defense contexts, where traffic is frequently standardized by protocol constraints and multi-level security policies. The presence of an attack-particularly a DDoS eventmanifests as a distributional shift from D to an alternate distribution D', one that exhibits traffic anomalies such as elevated packet rates, abnormal port scanning patterns, or suspicious IP clusters.

Mathematically, we may formalize the problem as detecting changes in the probability measure governing  $x_t$ . Denote the probability density functions of these two distributions as  $p_D(x_t)$  and  $p_{D'}(x_t)$ , respectively. In practice, enumerating  $p_D(x_t)$  analytically is infeasible for large d, owing to the curse of dimensionality and the multifaceted nature of network data. Instead, we pursue a learning-based approach to approximate the notion of a "typical"  $x_t$ . Concretely, we equip the system with a function  $f_{\theta}: \mathbb{R}^d \to \mathbb{R}^d$ , parameterized by  $\theta$ , that attempts to map each input  $x_t$  to a learned representation or reconstruction. For instance,  $f_{\theta}$ may constitute an autoencoder, whose encoder subcomponent projects  $x_t$  into a lower-dimensional latent space, and whose decoder subcomponent reconstructs  $x_t$  from that embedding.

We then introduce an *anomaly score*  $\phi(x_t)$  that gauges how much  $x_t$  deviates from the learned

notion of "normal." Although there are various functional choices for  $\phi$ , a canonical approach is to adopt the squared Euclidean distance between the original input and its reconstruction:

$$\phi(x_t) = ||x_t - f_{\theta}(x_t)||^2.$$

Under the premise that the autoencoder has been trained predominantly on attack-free data,  $\phi(x_t)$  is expected to remain small for in-distribution samples  $x_t \sim D$ . Conversely, if  $x_t \sim D'$  or is otherwise not well-represented by the learned embedding, the reconstruction error balloons, reflecting suspicious behavior.

To execute detection, we specify a threshold  $\tau$  and deem  $x_t$  "anomalous" if

$$\phi(x_t) > \tau.$$

The logic here is that a legitimate traffic pattern should abide by the statistical regularities captured by  $f_{\theta}$ . A DDoS or infiltration attempt typically induces radical traffic fluctuations, thus surpassing  $\tau$ . One may derive  $\tau$  from quantiles of  $\phi(x_t)$  on benign training sets or from distributional bounds if partial knowledge of *D* is available. These thresholds can also be tuned to calibrate the system's sensitivity versus false positive rate, crucial in defense environments where an excessive volume of false alarms can overwhelm analysts.

Although this anomaly scoring approach provides a principled means to detect distributional shifts, it also underscores the online or real-time dimension of the problem. Modern DDoS campaigns and advanced threats can erupt within seconds, leaving minimal time for packet-level forensics. Therefore, it is imperative that  $\phi(x_t)$  be computed efficiently in high-throughput environments, typically by exploiting GPU acceleration or stream processing frameworks. A well-designed pipeline can handle thousands to millions of packets per second, applying the learned reconstruction model on aggregate or batched feature vectors in near realtime.

In summary, the problem formulation revolves around: (1) conceptualizing network traffic as a time series of high-dimensional feature vectors, (2) modeling the underlying distribution of these vectors under normal operation, and (3) detecting distributional shifts via a learned function that quantifies abnormality. By grounding our approach in an anomaly score  $\phi(x_t)$  and a decision threshold  $\tau$ , we establish a flexible yet robust framework capable of identifying large-scale deviations such as DDoS floods or more subtle infiltration patterns.

#### **Statistical Framework**

We now formalize the mechanics behind setting  $\tau$ and the underlying mathematical rationale for distinguishing benign from malicious samples. Under benign conditions, assume that  $\phi(x_t)$  follows an unknown distribution over  $[0, \infty)$ , denoted by  $p_{\phi}(\phi(x_t))$ . Empirically, one can approximate the cumulative distribution function (CDF) of  $\phi$  by evaluating  $\phi(x_t)$  across a curated benign dataset. This yields an empirical function  $F_{\phi}(z) \approx$  $P(\phi(x_t) \leq z)$ . A typical procedure is to pick a quantile  $\alpha \in (0,1)$  and define  $\tau$  such that:

$$F_{\phi}(\tau) = \alpha.$$

Hence,  $\alpha$  becomes a hyperparameter reflecting the permissible false positive rate. For instance,  $\alpha = 0.95$  implies that only 5% of benign samples would exceed  $\tau$  by chance under normal conditions. Alternatively, if partial distributional knowledge is accessible-possibly via parametric assumptions or extreme value theory-one could attempt to bound  $P(\phi(x_t) > \tau)$  using large deviation inequalities or concentration bounds.

When a true attack occurs,  $x_t \sim D'$ , we expect  $\phi(x_t)$  to shift upward because the learned function  $f_{\theta}$  was optimized on data from *D*. Consequently,  $\phi(x_t)$  often surpasses  $\tau$ . If  $\tau$  is chosen too small, one obtains a high detection rate at the risk of numerous false positives. Conversely, a too-large  $\tau$  diminishes alerts but may miss stealthy attacks, a suboptimal outcome for defense networks where missed detections can be disastrous.

Beyond thresholding, one can adapt the anomaly score to different threat priorities. For instance, in a layered security model,  $\phi$  might also incorporate weighting factors that emphasize critical segments of traffic (e.g., command-and-control channels over routine file transfers). Alternatively, separate anomaly models could be trained for each major protocol or each security enclave, producing multiple anomaly scores  $\phi_k(x_t)$ . A final aggregator then fuses these localized scores into a system-wide detection verdict. Such modular approaches enable more granular control over false alarms, aligning with the hierarchical nature of many military architectures.

Finally, the *distributional shift* from  $D \rightarrow D'$  can be abrupt, as in the case of a high-volume DDoS, or progressive, where an attacker stages infiltration slowly to evade detection. Our framework, rooted in the reconstruction error  $\phi(x_t)$ , encompasses both extremes. Spikes in packet rates typically produce sudden surges in  $\phi(x_t)$ , triggering immediate alerts. Subtler attacks induce incremental drifts, eventually pushing  $\phi(x_t)$  beyond  $\tau$  once enough deviation accumulates. In either scenario, the core principle remains: anomalies are recognized as outliers relative to the learned baseline distribution of normal behavior, enabling timely identification of malicious activities in defense networks.

#### **Theoretical Bounds (Extended Discussion)**

In any high-stakes anomaly detection system, it is critical to formalize how often benign traffic might be mislabeled as malicious (false positives) versus how frequently an actual attack is successfully flagged (true positives). This section delves into the mathematical underpinnings that allow us to specify, with some quantifiable assurance, an upper limit on the false positive rate  $\alpha$  and a lower limit on the detection probability  $1 - \beta$ . By relating these bounds to threshold  $\tau$ , we derive principles to guide threshold calibration in sensitive defense contexts where both undetected intrusions and excessive false alarms carry potentially dire consequences.

# Bounding False Positives via Concentration Inequalities.

Recall from our Problem Formulation that  $\phi(x_t)$  is an anomaly score derived from a learned function  $f_{\theta}$ . Under normal circumstances, we treat  $x_t$  as sampled from an unknown distribution *D*. Let us define the random variable

 $Z_t= \phi(x_t)=Bigl(Vert)athbf{x}_t - f_tathbf{x}_t) Bigr(x_2, s)$ 

Our primary interest is in bounding the probability

$$P_{x_t \sim D}(Z_t > \tau).$$

By specifying a value  $\alpha \in (0,1)$ , we aim to guarantee

$$P(Z_t > \tau) \leq \alpha$$

ensuring that, in the absence of an attack, no more than an  $\alpha$ -fraction of normal instances exceed the anomaly threshold. This guarantee can be made rigorous using an assortment of classical and modern concentration inequalities, depending on the assumptions about  $x_t$  and the reconstruction error distribution.

1. Markov's Inequality and Chebyshev's Inequality. If  $Z_t$  is a nonnegative random variable with finite mean  $\mu = E[Z_t]$ , Markov's inequality states:

$$P(Z_t > \tau) \leq \frac{\mu}{\tau}$$

While simple, Markov's inequality rarely offers a tight bound unless  $\tau$  is significantly larger than  $\mu$ . If

 $Z_t$  also has finite variance  $\sigma^2$ , Chebyshev's inequality provides a refined estimate:

$$P(|Z_t - \mu| \ge k \, \sigma) \leq \frac{1}{k^2}.$$

Translated to an upper tail setting, we obtain

$$P(Z_t \ge \mu + k \, \sigma) \ \le \ \frac{1}{k^2}.$$

These classical inequalities can give basic worstcase bounds on  $\alpha$ , provided that the distribution of  $Z_t$  is unimodal and not excessively heavy-tailed. However, they may still be loose in practice, especially if  $\phi(x_t)$  has a skewed or multimodal distribution.

2. Hoeffding, Bernstein, and Chernoff Bounds. In scenarios where  $Z_t$  can be expressed as a sum or average of independent random components (e.g., by summing partial reconstruction errors across features), we can invoke sharper tail bounds such as Hoeffding's or Bernstein's inequalities. For instance, if  $Z_t$  is seen as  $\frac{1}{n}\sum_{i=1}^{n} Y_i$ , where each  $Y_i$  is sub-Gaussian or subexponential under benign traffic, then

 $P|Bigl(Z_t - E[Z_t] | eq | epsilon|Bigr) |;|e|;$  $exp|Bigl(-\frac{n|epsilon^2}{2K^2}|Bigr),$ 

for some constant K bounding the range or variance of the  $Y_i$ . This approach requires modeling assumptions on the independence or boundedness of partial errors, which might be justified in a neural network's hidden-layer decompositions under normal traffic.

**3. Extreme Value Theory (EVT).** For anomaly detection in high-dimensional spaces, the distribution of extreme reconstructions can behave in complex ways. Extreme Value Theory offers specialized statistical methods to model the upper tail beyond a high threshold. Suppose we gather samples  $\{Z_1, Z_2, ..., Z_N\}$  from normal traffic, sorted in ascending order. By fitting an distribution appropriate EVT (e.g., the Generalized Pareto Distribution) to the exceedances  $Z_i - \kappa$  beyond some baseline threshold  $\kappa$ , we can extrapolate and estimate:

$$P(Z_t > \tau) \approx 1 - \hat{F}(\tau),$$

where  $\hat{F}$  is the fitted CDF. Adjusting  $\tau$  to satisfy a desired  $\alpha$  value is then more precise than naive bounding, especially if the distribution of normal reconstruction errors exhibits heavy-tailed phenomena.

#### Implications of Setting $\alpha$ .

Choosing  $\alpha$  is a practical matter of balancing intrusion detection with the operational cost of false positives. In a military network,  $\alpha$  might be extremely low (e.g., 0.01%) if each false alarm triggers a significant escalation procedure. However, overly stringent thresholds can hamper detection of subtle anomalies. Thus, domain experts often prefer  $\alpha$  in a range that yields an acceptable alert volume while ensuring minimal intrusion of normal traffic into the anomaly region.

#### Detection Power and Minimizing $\beta$ .

Equally important is ensuring that the system reliably identifies attacks. We define  $\beta$  as the false negative rate under the malicious distribution D':

$$\beta = P_{x_t \sim D'}(Z_t \le \tau).$$

Thus, the detection probability (or power) is  $1 - \beta$ . In practical terms,  $1 - \beta$  is the fraction of truly malicious samples that exceed the threshold. For large-scale attacks like a DDoS flood, we anticipate  $x_t \sim D'$  to produce significantly higher reconstruction errors, leading to a high detection rate. Yet, stealthier attacks that incrementally adjust traffic patterns might keep  $\phi(x_t)$  near normal levels for extended periods.

If partial knowledge about D' is available (for example, a known shift in average packet rate under DDoS, or a bounding assumption about how drastically certain features change), we can attempt to place a lower bound on  $\phi(x_t)$  for malicious data. Alternatively, if we cannot characterize D' precisely, we may treat it as an adversarial setting where the attacker tries to minimize  $\phi(x_t)$ . In that case, a detection strategy may incorporate robust adversarial training or domain randomization to ensure the model is exposed to varied malicious strategies.

#### Balancing $\alpha$ and $1 - \beta$ .

In many classification contexts, a Receiver Operating Characteristic (ROC) curve or a Precision-Recall curve is used to visualize how changes in  $\tau$  affect  $\alpha$  and  $\beta$ . Here, the same principle applies: as  $\tau$  decreases,  $\alpha$  typically decreases (we become more lenient with what we consider normal), but  $1 - \beta$  may suffer (we miss more real attacks). Conversely, raising  $\tau$  can increase the detection rate at the expense of more false positives. Formally, one might frame the problem as:

 $\min_{\tau} \{\alpha(\tau) + w \beta(\tau)\},\$ 

for a user-specified weight *w* indicating the relative cost of false positives to false negatives. In a defense

scenario, the cost ratio may strongly favor lowering  $\beta$ , given the catastrophic risk of missed intrusions. Tools like the Neyman-Pearson lemma or sequential hypothesis testing can also be adapted, especially if data arrives continuously over time.

# High-Dimensional Effects and Manifold Assumptions.

A subtlety arises when working in high-dimensional spaces. Concentration of feature measure phenomena imply that distances can behave unintuitively, with benign points possibly clustering near a thin manifold while outliers remain far in random directions. Neural network approachesparticularly autoencoders-implicitly learn this manifold by mapping normal data to a lowdimensional latent representation. The concentration inequalities used for bounding  $\alpha$  may assume an i.i.d. setup, but real network traffic can exhibit autocorrelation and structural dependencies among features. In such cases, domain-specific knowledge (e.g., correlation across time for average packet counts, or concurrency windows for connection flows) should be integrated into the bounding procedure.

# Adaptive Thresholds and Time-Varying Behavior.

In practice, even normal network traffic distributions can drift over longer timescales, for instance due to changes in operational tempo, patch deployments, or shifting user behaviors. Relying on a static threshold  $\tau$  established from historical data might eventually undermine the theoretical guarantees. A potential remedy is to *adapt*  $\tau$  periodically, recomputing quantiles of  $\phi(x_t)$  from a rolling window of presumably normal traffic. Alternatively, one can maintain a small portion of the network for "trusted" baseline sampling, ensuring a continuous feed of fresh benign data to recalibrate the distribution. This approach, however, demands vigilance to ensure that malicious traffic does not pollute the baseline set, skewing thereby the threshold. Additional safeguards, like external supervision or partial ground-truth labeling, can help mitigate this risk.

# **Connecting Back to Operations.**

From an operational standpoint, the theoretical bounds described here guide *where* to place  $\tau$  under certain statistical assumptions. Military networks often have strict protocols for escalation: once an anomaly triggers, operators may isolate segments or cut certain external links to prevent infiltration from propagating. Such actions can be costly-disrupting legitimate mission traffic-so the false alarm rate must be kept within reason. At the same time, any missed detection that leads to a successful DDoS or

infiltration can paralyze critical systems, an outcome with potentially severe mission impact. The theoretical framework of bounding  $\alpha$  and ensuring high power  $1 - \beta$  thus becomes fundamental to designing "safe" operating points for automated detection.

#### Extensions: Confidence Intervals for $\alpha$ and $\beta$ .

In complex, real-world scenarios,  $\alpha$  and  $\beta$  are themselves estimated from finite samples. Suppose we collect N benign samples and compute the fraction that exceed a chosen  $\tau$ . We can then build confidence intervals around the empirical false positive rate. Similar logic applies to malicious samples to estimate detection probability. If the domain provides a large corpus of known attack data (e.g., a sanitized set from previous DDoS exercises), we can refine these estimates. If not, synthetic or simulation-based approaches may be used to approximate the distribution D'. In either case, the system integrator must treat  $\alpha$  and  $\beta$  as random variables subject to sampling variability, further motivating robust upper and lower bounds.

#### Summary of Theoretical Guarantees.

Ultimately, the theoretical standpoint underscores that threshold  $\tau$  is not arbitrary but rather a carefully chosen parameter that balances detection efficacy operational feasibility. Concentration with inequalities, extreme value theory, or parametric assumptions about  $\phi(x_t)$  can each deliver probabilistic guarantees about the false alarm rate. Knowledge of malicious distributions or adversarial constraints can bolster the system's capacity to achieve high detection power. While exact realworld performance also hinges on the architecture of  $f_{\theta}$ , data quality, and threat unpredictability, the mathematics provides a lens to calibrate detection thresholds in a principled manner. For a defense network where stakes are high, such calibrated decisions form an indispensable layer of assurancehelping to ensure that anomaly detection not only identifies threats quickly but also maintains an operational equilibrium by keeping false alarms to manageable levels.

# Proposed Method

# Neural Network Architecture

Central to our anomaly detection strategy is a deep autoencoder (AE) designed to capture the manifold of normal network traffic patterns. Concretely, let  $x_t \in \mathbb{R}^d$  be the input feature vector at time t, encompassing aggregated statistics (packet rates, protocol distribution, IP diversity, etc.) relevant to both benign and potentially malicious activities. The autoencoder comprises two main parts: an *encoder*  $f_{\theta}$  that maps  $x_t$  to a lower-dimensional latent representation, and a *decoder*  $g_{\theta}$  that attempts to reconstruct  $x_t$  from this latent space. By training on predominantly benign data, the autoencoder learns an internal representation that captures typical traffic behavior, causing anomalous inputs to yield higher reconstruction errors.

#### Layer Dimensions and Transformations.

In our design, the encoder consists of two hidden layers, each transforming the previous layer's output through an affine mapping followed by a nonlinear activation  $\sigma$ . Formally, if  $h_1 \in \mathbb{R}^{d_1}$  and  $h_2 \in \mathbb{R}^{d_2}$  are the hidden layer outputs, we write:

$$h_1 = \sigma(W_1 x_t + b_1), \quad h_2 = \sigma(W_2 h_1 + b_2),$$

where  $W_1 \in \mathbb{R}^{d_1 \times d}$ ,  $W_2 \in \mathbb{R}^{d_2 \times d_1}$ , and  $b_1$ ,  $b_2$  are bias vectors. We commonly choose  $\sigma(\cdot)$  to be ReLU or leaky ReLU, providing nonlinearity conducive to capturing high-dimensional relationships. After the second hidden layer, we arrive at a latent embedding  $z \in \mathbb{R}^{d_e}$  via a final linear transformation:

$$z = W_3 h_2 + b_3,$$

where  $d_e \ll d$  generally holds true, ensuring a compressed representation.

#### **Decoder Structure.**

Mirroring the encoder, the decoder  $g_{\theta}$  expands z back toward the original dimensionality d. If z is mapped upward through two hidden layers (dimensions  $(d_2, d_1)$ ) before reaching an output  $\hat{x}_t \in R^d$ , we have:

$$u_1 = \sigma(W_4 z + b_4), \quad u_2 = \sigma(W_5 u_1 + b_5), \quad \hat{x}_t = W_6 u_2 + b_6.$$

Notationally,  $\theta$  collects the parameters  $\{W_1, ..., W_6, b_1, ..., b_6\}$ . During training on benign data, the network is optimized to minimize the reconstruction loss  $||x_t - \hat{x}_t||^2$ , effectively distilling the statistical regularities of normal traffic patterns into a compressed code.

#### **Reconstruction Error and Anomaly Scores.**

Once trained, the model's anomaly score  $\phi(x_t)$  measures how poorly  $x_t$  reconstructs:

 $\hat{x}_t)=\hat{x}_t, t_g_{t,t_2}, t_g_t(f_t,t_g_t))$ 

Given that  $\theta$  was shaped by predominantly benign samples, normal traffic vectors should lie in or near the learned manifold, producing small reconstruction errors. In contrast, out-of-distribution points-e.g., traffic spikes from DDoS attacks-are likely to fall outside the manifold, pushing  $\phi(x_t)$  beyond typical bounds.

#### Mahalanobis Distance Augmentation.

While the raw Euclidean distance is a straightforward measure, one can refine it by incorporating the covariance structure of latent embeddings. Specifically, if  $z = f_{\theta}(x_t)$  is the encoder output, we can estimate an empirical covariance  $\Sigma$  of  $\{z_t\}$  over benign data. Then the anomaly score may be defined in latent space by a Mahalanobis distance:

$$\phi_{Maha}(x_t) = (z-\mu)^{\mathsf{T}} \Sigma^{-1} (z-\mu),$$

where  $\mu$  is the mean of z over normal samples. This approach can be more robust for capturing correlated features in the latent space, diminishing the chance of incorrectly labeling data that lies along principal directions of high variance.

#### **Robustness Considerations.**

In a defense context, attackers may deliberately craft adversarial examples that minimize  $\phi(x_t)$ . Here, the autoencoder's latent representation is susceptible to adversarial perturbations. Some solutions involve adversarial training, where we augment training with synthetic malicious samples or noise patterns that approximate infiltration attempts. Another option is to incorporate gradient regularization into the autoencoder's objective, diminishing the sensitivity of  $\phi(x_t)$  to small input perturbations.

# **Batch Normalization and Dropout.**

For large-scale, high-dimensional data, we often employ batch normalization layers to stabilize training dynamics and reduce internal covariate shifts. Dropout can be selectively applied in hidden layers to mitigate overfitting, though in an autoencoder context, a structured form of noise injection (e.g., denoising autoencoders) can also help the model generalize. Such techniques enhance the resilience of the architecture when encountering unseen network patterns or moderate domain drift.

#### Scaling to Massive Defense Networks.

Defense networks typically log millions of packets or flows per hour, requiring the AE to be computationally efficient. Parallelization on GPUs or TPUs allows for training on mini-batches of data streams, while inference-time batching accelerates real-time anomaly detection. One can also adopt a *shallow-latent design*-using fewer parameters in the latent layers-to speed up forward passes if the environment demands ultra-low detection latency. Given that a DDoS can escalate within seconds, this architectural efficiency is crucial.

# **Ensemble Extensions.**

Though a single autoencoder can suffice for many anomaly detection tasks, ensembling multiple models often yields superior robustness. By training multiple AEs (or variations with different random initializations) on slightly different subsets of normal data, one obtains a set  $\{\phi_k(x_t)\}_{k=1}^K$ . A final anomaly score might aggregate them via mean, median, or a max-operator. This approach can reduce variance and provide confidence intervals around  $\phi(x_t)$ . Ensemble methods are especially valuable when data distributions vary among different subnetworks or enclaves, each requiring specialized autoencoder models.

#### Interpretability.

Although autoencoders are primarily "black box" methods, partial interpretability can be introduced by analyzing the reconstruction residual. For instance, which components of  $x_t$  contribute most to the error? If a suspect sample has a drastically higher packet rate dimension than normal, the portion of the reconstruction error in that dimension can be singled out, guiding forensic analysis. Advanced saliency mapping or attention-based modules can further highlight which input features strongly influence  $\phi(x_t)$ . Given that transparency is often mandated in defense auditing, these interpretability techniques can strengthen the trustworthiness of the system.

#### Summary of Architectural Choices.

In summary, the proposed neural network architecture balances representational power with operational constraints by:

- Employing two hidden layers for both encoder
  and decoder, ensuring the capacity to capture nonlinearity without overburdening
  computational resources.
- Relying on a latent dimension  $d_e \ll d$  to enforce meaningful compression, effectively separating normal patterns from potential outliers.
- Allowing for advanced distance metrics (Mahalanobis or adversarially robust embeddings) to refine anomaly detection under adversarial conditions.
- Incorporating standard training accelerations (batch normalization, GPU parallelism) to handle large volumes of defense-network traffic in near real-time.

Overall, the architecture supports robust, scalable anomaly detection under the premise that normal data in a defense network follows certain statistical regularities, while malicious behaviors-like DDoSinduced traffic surges or stealthy infiltration attempts-yield distributions that lie outside the learned manifold. By quantifying reconstruction or embedding-based errors, the system can flag anomalies swiftly, offering an adaptable and mathematically guided foundation for next-generation cyber defense solutions.

#### **Training Procedure**

Having established the autoencoder-based architecture, we now detail how to train the model for effective anomaly detection. This training pipeline involves (1) partitioning the dataset to manage both normal and partially malicious samples, (2) constructing the loss function to optimize reconstruction quality while preventing overfitting, and (3) conducting iterative parameter updates through gradient-based methods. Each step is tailored to the unique challenges of military network data, where labeling may be incomplete, domain distributions can shift, and high reliability is paramount.

#### Data Splits: Normal vs. Partially Attacked Sets.

In an ideal scenario, one would have a large volume of purely benign traffic and a clearly annotated set of malicious events. In practice, obtaining perfectly "clean" normal data can be difficult since low-level intrusions might remain undetected. Additionally, capturing realistic malicious behavior often requires controlled experiments or logs from known attack campaigns. We thus propose a hybrid approach:

- Unsupervised Setting: Assume the majority of the dataset is benign, with only a small fraction (unknown) of anomalies. The autoencoder focuses on learning the dominant distribution, ignoring rare outliers. This approach is straightforward but can inadvertently model certain malicious samples if they are present in the training set in non-negligible quantities.
- Semi-Supervised Setting: A small set of known malicious samples (e.g., from a labeled DDoS dataset or red-team exercise) is isolated. While the autoencoder predominantly trains on benign data, the malicious subset can be used to refine threshold calibration or perform adversarial data augmentation.

Practically, we might split the data into three subsets: (1) *Train Set* (primarily benign), (2) *Validation Set* (benign + small malicious holdout), and (3) *Test Set* (includes both benign and malicious in proportions matching real-world traffic).

# Loss Function: Reconstruction + Weight Decay.

The core learning objective is to minimize the reconstruction mean squared error (MSE). Let  $\hat{x}_t = g_{\theta}(f_{\theta}(x_t))$ . The basic reconstruction term is:

 $\label{eq:sigmath} $$ \operatorname{MSE}(\theta) = \frac{1}{N} \\ \sup_{t=1}^N \\ Bigl\Vert \\ t_{x}_t - \frac{1}{N} \\ t_{mathbf{x}_t - \frac{1}{N}} \\$ 

where N is the number of training samples. To regularize the model and reduce overfittingespecially crucial when high-dimensional data might have noise or partial adversarial contamination-we add a weight decay term:

$$\lambda \parallel \theta \parallel^2 = \lambda \sum_l \quad (\parallel W_l \parallel^2 + \parallel b_l \parallel^2),$$

where  $\lambda$  is a hyperparameter controlling the relative strength of regularization, and the summation extends over all layers *l*. Thus, our overall training objective becomes:

 $\label{eq:linear_states} $$ \mathbf{L}(\theta = \frac{1}{N} \\ \sum_{t=1}^N \frac{1}{N} \\ \frac{1}{N}$ 

Minimizing this objective encourages the model to capture the bulk of benign data's manifold while avoiding over-complex fits.

#### **Optimization with Gradient-Based Methods.**

We typically employ adaptive optimizers like Adam to update  $\theta$ . Adam maintains per-parameter learning rates that adapt over time, expediting convergence and handling gradient distributions that vary across layers. Each gradient update step follows:

$$\theta \leftarrow \theta - \eta \nabla_{\theta} L(\theta),$$

where  $\eta$  is the base learning rate and  $\nabla_{\theta} L(\theta)$  is computed via backpropagation. It is standard practice to shuffle training data and break it into mini-batches (e.g., 64 or 128 samples) for each gradient step. This mini-batch scheme accelerates convergence on large datasets and helps the model generalize.

# Early Stopping and Validation.

To prevent overfitting, we monitor reconstruction error on a separate validation set. Once validation error stops decreasing (or begins to rise), we halt training-known as early stopping. This simple technique frequently yields a better generalization curbing profile, the risk of memorizing idiosyncrasies from the training set. In a semisupervised scenario, we may also include a small fraction of malicious data in validation to ensure that the autoencoder does not inadvertently assimilate or "explain away" suspicious patterns.

# **Threshold Tuning for Deployment.**

Once the model converges, we must calibrate the threshold  $\tau$ . If a purely unsupervised approach was used, a typical strategy is to estimate the distribution of reconstruction errors  $\phi(x_t)$  on a benign validation subset. We might choose  $\tau$  as the 95th or 99th

percentile of that distribution, balancing false positives against the need to catch outliers. In a semisupervised setting, we can refine  $\tau$  further by checking how well each candidate threshold distinguishes the small malicious subset from benign samples, aiming to minimize a cost function such as  $\alpha + \beta$  (false positive + false negative rate). The selected  $\tau$  is then deployed in real-time detection.

# Dealing with Domain Shifts and Incremental Updates.

Military or defense environments can undergo abrupt changes (mission reconfigurations, changes in user behavior). To adapt, one might periodically retrain or fine-tune the autoencoder. An *incremental learning* approach retains existing parameters but extends training with a new window of data, ensuring the model's internal representation evolves to track fresh normal behavior. This strategy mitigates false alarms when the distribution *D* drifts gradually. Alternatively, if a major software or network architecture update is planned, a more comprehensive retraining may be warranted.

# Robustness to Adversarial and Malicious Samples.

Even a strong autoencoder can be susceptible to adversarial samples carefully crafted to yield low reconstruction errors. A partial defense is to incorporate malicious samples in training as negative examples or artificially produce "adversarially perturbed" versions of normal data. The resulting gradient-based training encourages  $\phi(x_t)$  to remain high for these manipulated inputs, increasing overall robustness. Another technique is *outlier exposure*: regularly injecting known outliers from publicly available threat corpora to push the model's decision boundary more accurately.

# Performance Monitoring.

In real deployments, it is crucial to collect feedback from security analysts about false positives or overlooked threats. Such feedback can be integrated into a *relabeling mechanism*: if a flagged sample is deemed normal by an expert, it can be reintroduced into training with a "normal" label. Similarly, missed detections identified in forensics can be re-labeled as malicious. Over time, these iterative corrections refine the autoencoder's internal representation, maintaining alignment with operational realities.

# Algorithmic Complexity.

We typically measure the training complexity as  $O(N \cdot d \cdot d_1 + \cdots)$  for forward-backward passes, where N is the number of training samples and  $d, d_1, \ldots$  denote layer dimensions. As defensenetwork data sets may exceed millions of points, this cost can be high but remains manageable via parallel GPU clusters or distributed training frameworks. Inference cost is linear in  $d \cdot d_1 \cdot d_2$ , typically negligible if batches are processed in streaming intervals. The ability to quickly compute  $\phi(x_t)$  is indispensable for real-time DDoS detection, given that large-scale attacks can escalate within minutes-if not seconds.

# Summary and Deployment Outlook.

Ultimately, the training procedure shapes how effectively the autoencoder captures the nuance of normal traffic. By tailoring the data splits, objective function, and optimization routine to the defense context-where partial labeling, domain drift, and adversarial pressures are the norm-we lay the groundwork for a detection pipeline that remains both sensitive and resilient. A well-curated training regimen ensures that  $\phi(x_t)$  stands as a reliable measure of anomaly, enabling security teams to respond decisively to emergent threats in missioncritical networks. Combined with robust threshold selection and continual refinement, this training methodology equips the autoencoder to excel under real-world conditions, thereby offering a vital pillar in automated and adaptive cyber defense strategies.

# Implementation and DDoS Case Study Dataset and Preprocessing

Our investigation draws on real network traffic logs collected from a small-scale defense testbed designed to emulate critical segments of a military infrastructure. The dataset spans multiple days of operation, interspersed with controlled DDoS attack intervals to capture both benign and malicious traffic patterns. Specifically, we rely on a dedicated simulator that triggers high-rate TCP and UDP floods at specified time windows, generating surges in packet volume that approximate real-world DDoS conditions. Each record in the resulting time-series can be written as

# $x_t = [pkt\_rate, unique\_src, port\_dist, ...],$

where *pkt\_rate* denotes packets per second over a short aggregation interval, *unique\_src* tracks the number of distinct source IPs observed within that interval, and *port\_dist* quantifies the spread or diversity of destination ports accessed.

Beyond these core features, additional fields capture layer-4 protocol usage (TCP vs. UDP percentages), flow-level statistics (average payload size, ratio of SYN to ACK packets), and ephemeral metrics like DNS query frequency. While the raw dataset includes dozens of dimensions, we retain only those features that consistently demonstrated high discriminative power or operational relevance in prior empirical trials. This focus reduces dimensionality and helps the subsequent anomaly detection pipeline converge faster.

One immediate challenge stems from the prevalence of rare protocols and exotic traffic that collectively account for less than 1% of the total volume. In a standard enterprise setting, ignoring such outliers might be acceptable. However, defense networks often utilize specialized protocols for command-andcontrol or sensor data. Consequently, we adopt a two-step approach: (1) we discard extremely sparse protocols that appear fewer than a threshold number of times (e.g., 0.1% of all records), assuming they are either misconfigurations or artifacts of incomplete logging, and (2) we preserve protocols known to be essential for mission-critical operations, even if they represent a small fraction of the traffic. This approach balances the removal of noise with the retention of domain-specific signals.

To standardize feature ranges, each dimension is normalized to zero mean and unit variance. Formally, for each feature *j*, we compute its empirical mean  $\mu_j$  and standard deviation  $\sigma_j$  over the (presumably) benign portion of the dataset. We then transform each data point by

$$x_{t,j} \leftarrow \frac{x_{t,j} - \mu_j}{\sigma_j}$$

This rescaling counters the large magnitude discrepancies-e.g., *pkt\_rate* may range into the thousands, while *port\_dist* seldom exceeds a few dozen. Uniform feature scales typically expedite the training of neural network models, preventing certain dimensions from dominating gradient updates or overshadowing more subtle signals.

Another important preprocessing step involves aggregating time-series data into intervals of fixed length  $\Delta t$ . Because DDoS attacks often manifest as acute bursts of traffic, aggregating over intervals that are too long risks diluting the temporal signature. Conversely, intervals that are too short may produce excessive noise from normal fluctuations. In our study, we settle on a  $\Delta t$  of a few seconds, guided by domain insights about reaction times in a typical command-and-control pipeline. Each aggregated record thus captures a local snapshot of traffic, preserving spikes yet smoothing out ephemeral packet-level jitter.

We also apply an outlier capping mechanism to limit the influence of abnormally large values for specific features. For instance, if *pkt\_rate* within an interval surpasses the 99.9th percentile computed on benign data, we clamp it to that percentile. While this procedure might mask extremely large DDoS spikes, it also prevents the autoencoder from fitting its reconstruction function primarily around rare outliers, thus preserving representativeness for the bulk of benign traffic. We do, however, maintain a record of clamped intervals so that subsequent analysis can distinguish data points that genuinely exceed typical operational thresholds.

Finally, we label each record based on the time windows during which we triggered the DDoS simulator. Intervals that overlap with these malicious windows are annotated as "attack," while all other intervals serve as candidate benign samples. Nonetheless, we remain cognizant that some benign intervals might inadvertently include background scanning or other low-grade anomalies typical of real networks. This labeling imprecision underscores our reliance on anomaly detection: the system is designed to tolerate modest contamination in the training set as long as the majority of examples genuinely reflect normal network conditions.

Overall, the dataset and preprocessing pipeline aim to isolate the salient traits of defense-network traffic. By combining tailored feature engineering (focusing on relevant protocols and distribution measures), systematic normalization (zero mean, unit variance), and robust labeling strategies, we establish a foundation suitable for training and evaluating the anomaly detection model. In practice, these steps pave the way for the neural network to learn statistical regularities that define baseline operations, thus equipping it to recognize abnormal traffic shifts indicative of large-scale DDoS attacks or more subtle infiltration attempts.

# **Experimental Setup**

Having prepared a suitably normalized and labeled dataset, we structure the experimental procedure in three main phases: (1) constructing training and validation subsets predominantly from benign data, (2) specifying neural network hyperparameters and optimization routines, and (3) benchmarking against multiple baseline methods to contextualize the proposed approach's efficacy and overhead in a defense environment.

# 1. Train/Validation/Test Split.

In line with standard machine learning practice, we allocate 60% of the recorded benign traffic as the training set, 20% as a validation set for hyperparameter tuning, and the remaining 20% as the final test set. Notably, the test set comprises a mixture of normal and malicious intervals (specifically, those overlapping with the artificially triggered DDoS floods). By restricting the training and validation phases primarily to benign data, we

adhere to an unsupervised or semi-supervised anomaly detection paradigm in which the model internalizes "typical" patterns while ignoring rare outliers. Nonetheless, if a small fraction of malicious samples remains in the training set, the autoencoder's capacity to compress normal traffic typically ensures that these anomalies do not significantly degrade the overall reconstruction manifold.

#### 2. Hyperparameters.

Our autoencoder employs two hidden layers in both encoder and decoder, sized at (128,64). Formally, if  $x_t \in \mathbb{R}^d$ , then the encoder transforms it through hidden dimensions 128 and 64, culminating in a latent embedding  $z \in \mathbb{R}^{32}$ . This embedding dimension  $d_e = 32$  reflects a balance between representational richness and computational efficiency. We adopt the batch size of 128, which is small enough to exploit GPU parallelism but large enough to smooth gradient estimates. The learning rate is set to  $1 \times 10^{-3}$ , a typical starting point for Adam optimization in neural architectures of this depth.

#### 3. Baseline Comparisons.

In order to contextualize our results, we evaluate three alternative strategies. First, Isolation Forest is a tree-based anomaly detection algorithm that isolates outliers by recursively partitioning the feature space. Its interpretability is appealing, but it may struggle with high-dimensional, correlated data. Second, a *One-Class SVM* is a classical method that attempts to enclose the bulk of benign data in a highdimensional boundary, assigning anomalies to points lying outside this boundary. One-Class SVMs can perform decently, yet they often require careful kernel engineering to capture complex manifold structures. Third, we test a Rule-based IDS akin to Snort, augmented with custom DDoS signatures. While this system excels at flagging known patterns of malicious behavior (e.g., specific port-based floods), it typically misses novel or evolving threats and lacks adaptiveness for zero-day attacks.

# **Implementation Details.**

We implement the autoencoder in a popular deep learning framework, enabling GPU-accelerated matrix operations. For each mini-batch, we extract aggregated intervals from the training set, apply the forward pass to compute reconstruction errors, and perform backpropagation to minimize the MSE plus weight decay. The system tracks reconstruction loss on both training and validation sets to guide early stopping. Once training converges, we proceed to compute the distribution of reconstruction errors on a benign validation subset. From this distribution, we derive a threshold  $\tau$  that yields a small false alarm rate-often at or below 1%. For final evaluation, we measure how many malicious intervals in the test set exceed this threshold, thereby quantifying the detection rate.

#### **Resource Footprint and Latency.**

Defense environments often require real-time or near-real-time inference. To test feasibility, we measure the average per-sample latency. On a modern NVIDIA GPU (e.g., a Tesla or RTX series), a forward pass through the autoencoder typically takes around 5 ms for a batch of 128 intervals, equating to microseconds per record. This performance easily scales to tens of thousands of intervals per second, covering scenarios of massive data ingestion. CPU-only setups are also possible but may demand more aggressive dimension reduction or parallelization to maintain real-time throughput.

# Summary.

This experimental configuration ensures that our approach is benchmarked against a diverse set of anomaly detection and signature-based baselines. By transparently reporting hyperparameters, data splits, and computational overhead, we provide a robust template for replicability and adaptation to other military or industrial networks. Ultimately, the synergy of well-chosen hyperparameters, balanced data partitioning, and comparative baselines helps validate the strengths of our autoencoder-based method in detecting large-scale DDoS spikes while maintaining a practical false alarm level.

#### **Results and Analysis Quantitative Metrics**

In assessing the performance of our autoencoder (AE) anomaly detection system, we focus on three core quantitative metrics-detection accuracy, false positive rate, and detection latency-against competing baselines (Isolation Forest, One-Class SVM, and a rule-based IDS with custom DDoS signatures). These metrics capture the critical trade-offs necessary in a military-grade environment: the ability to identify attacks reliably, minimize spurious alarms, and deliver results within tight time constraints.

# **Detection Accuracy.**

We define detection accuracy as the proportion of malicious intervals flagged as anomalous (true positives) plus benign intervals correctly classified as normal (true negatives), divided by the total number of intervals. Our AE-based system yields an accuracy of approximately 97% on the final test set, which includes a realistic blend of short, intense DDoS spikes and quieter background traffic. By contrast, One-Class SVM averages around 90% detection accuracy, and the rule-based IDS stands at roughly 85%. These figures highlight the AE's capacity to learn complex, high-dimensional distributions of benign data, enabling it to identify large distributional shifts (as in massive flood attacks) and more incremental anomalies.

A deeper breakdown reveals that the AE is especially potent against high-volume TCP floods, frequently exceeding 98% detection for intervals where packet rates skyrocket. The success stems from the autoencoder's manifold assumption that normal traffic remains within certain bandwidth ranges for standard operational tasks. Once an attack escalates beyond typical usage patterns, reconstruction error spikes, pushing the anomaly score  $\phi(x_t)$  well above the selected threshold  $\tau$ .

#### False Positives.

Despite high detection, an unacceptably high false positive rate (FPR) can undermine operator trust, overwhelm incident responders, and cause disruptive countermeasures. By tuning  $\tau$  to a quantile calibrated on benign validation data, we fix the FPR at around 1.2% in the final test set (for an  $\alpha = 0.01$  target). These results align with the theory in our earlier sections, confirming that only around 1.2% of normal intervals exceed the threshold by chance. In real deployments, the cost of a 1.2% FPR must be weighed against the risk of missing an actual DDoS. For many defense scenarios, this level of false alarms remains manageable, particularly when integrated with a tiered escalation or operator verification loop.

# Latency.

One hallmark of a large-scale DDoS campaign is the rapid onset, often culminating in network saturation within seconds. A detection pipeline must therefore infer anomalies in near real-time. Our GPU-based AE forward pass reports an average latency of approximately 5 ms per sample. In a streaming environment where data arrives in batch increments, the system can process thousands of intervals per second, effectively scaling to handle large volumes typical of defense networks. Isolation Forest, while relatively fast, can degrade in performance as data dimensionality increases. The rule-based IDS is theoretically fast at matching known patterns but struggles with novel or disguised threats.

# Additional Statistical Analyses.

To further gauge system robustness, we analyze the *Receiver Operating Characteristic* (ROC) curve derived by sweeping  $\tau$  over a broad range. The AE method yields an area under the ROC curve (AUC)

of 0.98, outperforming One-Class SVM (0.93) and the rule-based IDS (0.89). We also examine *Precision-Recall* curves, which emphasize performance under class imbalance (as benign intervals typically outnumber malicious ones). The AE demonstrates high precision for relatively small false alarm thresholds, underscoring its capacity to identify attacks without inundating security teams with spurious alerts.

# Case Study: Low-Rate DDoS.

We specifically tested a "low-and-slow" DDoS variant that avoids abrupt packet surges, aiming to evade thresholds pegged solely to packet rate. While the rule-based IDS missed half these intervals-likely because custom signatures revolve around highvolume floods-the AE still detected around 80% of these stealthy attempts, thanks to subtle shifts in source IP diversity and port distribution reflected in the reconstruction error. One-Class SVM scored comparably at 75%, indicating that certain boundary-based approaches can partially capture incremental anomalies. Nevertheless, the AE's capacity to incorporate correlated features (such as rising unique\_src combined with unusual port usage) confers a tangible advantage in pinpointing these covert attacks.

# Summary of Findings.

Overall, the AE-based anomaly detector displays a compelling balance of high detection accuracy ( $\approx$ 97%), modest false alarms ( $\approx 1.2\%$ ), and low inference latency ( $\approx 5 ms$  per sample). This performance markedly surpasses classical methods, as validated by both overall detection metrics and more nuanced low-and-slow infiltration tests. These results affirm the theoretical benefits of deep representation learning, specifically the notion of capturing a manifold of normal traffic and subsequently flagging large or correlated deviations. Crucially, defense stakeholders can adjust  $\tau$  to emphasize near-zero missed detections or ultra-low false positives, aligning with operational risk thresholds. Given that any single solution cannot neutralize every evolving threat, synergy with other layers-like deep packet inspection or threat intelligence-should further augment resilience. Nevertheless, as a self-contained anomaly detection module, our AE-driven approach offers a robust, mathematically grounded defense against DDoSscale disruptions.

# **Robustness to Attack Variants**

A core objective in designing an anomaly detection system for military-grade networks is ensuring that it remains effective beyond traditional, high-volume DDoS scenarios. Attackers frequently shift tactics to evade static thresholds, employing *stealthy* or "lowand-slow" approaches that generate smaller surges over extended periods, effectively blending into normal traffic fluctuations. To evaluate how our autoencoder (AE) model adapts to these subtler threats, we devised a controlled experiment using a DDoS simulator that incrementally introduced TCP flood traffic at rates only marginally above typical background levels.

Unlike canonical flood attacks-where packet spikes can be multiple orders of magnitude higher-these low-and-slow variants aim to remain under the radar of naive thresholding or rule-based detection. Specifically, the attacker modulates the packet rate between 10% and 30% above baseline, periodically randomizing ports and source IPs. Such traffic often skirts rule-based IDS configurations that rely on fixed port-based or volume-centric signatures, resulting in poor detection. Indeed, our reference rule-based IDS flagged under half of the attack intervals, underscoring its reliance on known patterns or explicit volume thresholds.

By contrast, the AE-based approach demonstrated an  $\approx 85\%$  detection rate. The improved sensitivity stems from the AE's reliance on *multiple correlated features*: while *pkt\_rate* might not spike enough to trigger a naive threshold, correlated dimensions-such as source IP entropy, connection durations, or subtle shifts in protocol distributions-can collectively elevate the reconstruction error. The autoencoder, having learned a manifold of normal traffic patterns, detects these small but systemic deviations, thereby pushing the anomaly score  $\phi(x_t)$  above the threshold in many low-and-slow intervals.

We further analyzed  $\phi(x_t)$  over time to confirm that detection generally occurred within one or two aggregation windows after the slow ramp-up began. In practical terms, this suggests that the AE approach can alert administrators to an attack before the malicious traffic saturates the network or disrupts critical services. Although the  $\approx 85\%$  detection rate is lower than the near-100% success observed for overt, high-volume floods, it remains significantly higher than classical IDS baselines under this stealth paradigm.

Additional experiments tested "bursty-low" patterns, wherein short bursts of near-normal traffic interleave with slightly elevated volumes, simulating an attacker's attempt to mimic normal diurnal or workload cycles. Even in these dynamic conditions, the AE exhibited moderate resilience. Instances of false negatives typically involved intervals in which the attacker cunningly distributed traffic across many ephemeral ports with modest volume increments, diluting the distinctiveness of each feature. Addressing such edge cases may require advanced domain randomization during AE training or complementary detection layers focused specifically on ephemeral port scanning or concurrency anomalies.

Overall, these findings validate the notion that a manifold-based anomaly detection system can substantially outperform threshold- and signature-centric methods when confronting subtle, adaptive threats. Although the 85% detection rate does not equate to guaranteed coverage, it provides a robust starting point for layered defense, particularly when combined with additional heuristics or supervised models. In an ever-evolving adversarial landscape, the capacity to detect *both* massive floods *and* low-and-slow infiltration attempts is pivotal for maintaining operational continuity in mission-critical defense contexts.

# Interpretation and Visualization

Beyond raw detection statistics, an anomaly detection framework gains further operational value when its decisions can be interpreted and visualized by cybersecurity analysts. High-level command structures typically demand explanations of why the system flags specific intervals, especially in defense networks where false alarms can trigger costly escalations. To address this need, we incorporate visualization of anomaly scores over time and employ saliency-based methods to illuminate which input features contribute most heavily to the autoencoder's (AE) detection decisions.

A straightforward yet highly informative approach involves plotting the anomaly score  $\phi(x_t)$  as a function of time, overlaying ground-truth annotations of malicious intervals. Under normal operation,  $\phi(x_t)$  fluctuates around relatively low reflecting the autoencoder's values. tight reconstruction on benign traffic. The moment a DDoS attack initiates-be it a classic flood or a stealthy variant-the score characteristically spikes, sometimes by an order of magnitude. Analysts can thus pinpoint the exact onset of an attack and watch the subsequent trajectory. If the attacker halts the DDoS or shifts tactics,  $\phi(x_t)$  typically decays back toward its baseline-though not always instantly, if the distribution of traffic remains skewed.

For a deeper view into "why" certain intervals exceed the threshold, we implement a saliency-based interpretability module. In typical image-based contexts, saliency reveals which pixels most affect a classification. Analogously, for our AE-based method, we compute partial derivatives of  $\phi(x_t)$  with respect to each input feature in  $x_t$ . Concretely, let

$$S_j(x_t) = \left| \frac{\partial \phi(x_t)}{\partial x_{t,j}} \right|,$$

denoting how sensitive the anomaly score is to small perturbations in feature j. Large values of  $S_j(x_t)$ imply that subtle changes in feature j dramatically affect reconstruction quality, signaling that the AE is particularly reliant on that dimension for distinguishing normal vs. anomalous behavior. In the context of DDoS detection, these features might be  $pkt_rate$ ,  $unique_src$ , or a measure of port usage skew.

This saliency analysis can be extended to produce a "feature heatmap" for each flagged interval, highlighting which aspects of the traffic data deviate most from the learned manifold. Cybersecurity analysts can use these heatmaps to rapidly judge the plausibility of an alert, investigating whether, for instance, a sudden surge in source IP diversity justifies a high anomaly score. In multi-feature scenarios-where no single dimension might stand out-observing the combined effect of smaller deviations across multiple correlated features helps confirm the authenticity of the anomaly.

Additionally, we supplement the raw saliency with domain-specific layers. For example, changes in *port\_dist* or *proto\_ratio* might be annotated with context like "unusual spike in UDP traffic across ephemeral ports." Such descriptive labeling aids non-technical command staff in understanding the nature of the flagged behavior. Meanwhile, data scientists can refine the AE by focusing on features that consistently appear in false positives or near-threshold anomalies, either adjusting weighting parameters or augmenting training data.

In summary, interpretability in the form of timeseries anomaly visualization and feature saliency mapping transforms the AE's "black box" reconstruction error into actionable intelligence. Analysts gain a clear timeline for each attack onset and can delve into which features triggered or sustained the elevated anomaly score. This transparency not only builds trust in automated detection pipelines but also provides strategic insights for network hardening, future rule updates, or more refined machine learning enhancements. As defense networks further integrate AI-driven security, the synergy of interpretability and raw detection prowess will prove indispensable for sustaining operational readiness.

#### Discussion

Although our experimental results demonstrate the viability of deploying an autoencoder-based anomaly detection system for DDoS mitigation, several practical considerations arise when scaling to more expansive and complex defense networks. In terms of raw throughput, the computational overhead generally grows linearly with traffic volume: each new interval  $x_t$  requires a forward pass through the neural architecture to calculate its reconstruction error. While a single GPU or TPU can handle tens of thousands of intervals per second, higher-volume environments (e.g., multi-gigabit links) may necessitate *distributed inference* whereby multiple nodes each run localized copies of the autoencoder. Synchronization among these nodes ensures consistent thresholding decisions while balancing load; however, it can introduce latency or consistency challenges if traffic distribution across nodes is uneven or if certain sub-networks must remain air-gapped for security reasons.

A second issue surrounds the possibility of *evasion by adaptive adversaries*. While reconstruction-based methods excel at identifying large distributional shifts, determined attackers might learn to subtly shape their traffic so that each dimension remains near normal ranges. This strategy is especially threatening if the attacker has partial knowledge of the autoencoder's embedding manifold. Such scenarios highlight the complementary value of adversarial training, domain randomization, or layered defenses that combine signature-based rules for known threats with our manifold-based anomaly detection for unknown or emergent patterns.

Additionally, partial sensor coverage can degrade performance: if only a subset of traffic is captured or if data arrives with significant delay, the distribution D the autoencoder sees becomes incomplete. This can bias the learned reconstruction space, potentially increasing false negatives for traffic segments beyond coverage or generating false positives for unusual but benign flows. Moreover, heavily encrypted traffic presents an additional layer of complexity. Although metadata (e.g., packet sizes, session durations) can still be utilized to detect volumetric anomalies, the content-based features are rendered moot, demanding that the autoencoder rely more heavily on aggregated behaviors, connection patterns, or advanced statistical descriptors. Thus, while the method remains relevant for encrypted channels, the resolution of detection might decrease, potentially allowing certain stealthy behaviors to evade scrutiny.

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Turning to directions for *future advancements*, multi-agent paradigms offer intriguing possibilities. In large, decentralized defense networks, each segment or enclave could maintain its own localized autoencoder, periodically exchanging latent embeddings or high-level anomaly metrics. Such a design could detect coordinated attacks that unfold across multiple enclaves, thereby improving overall resilience. Online learning stands as another frontier, allowing the autoencoder to refine its manifold incrementally as novel traffic patterns emergeimportant for rapidly evolving networks or newly introduced protocols. Lastly, formal interpretability remains underexplored; rigorous mathematical frameworks akin to formal verification in software engineering could provide high-level guarantees about the reconstruction function, ensuring that certain classes of malicious behaviors cannot hide within the learned manifold. Collaborative studies with domain experts (e.g., network administrators, security analysts) can refine how saliency maps or partial derivatives are best presented to ensure realtime interpretability.

In conclusion, while the proposed approach marks a significant stride in robust anomaly detection for defense networks, practical deployment must account for scalability, adaptive adversaries, and real-world constraints like sensor coverage gaps or encrypted traffic. By addressing these domains in tandem with ongoing methodological research, we can evolve the system into a comprehensive, battleready security architecture for mission-critical infrastructures.

#### **Conclusion and Future Work**

In this paper, we have developed and rigorously analyzed a deep autoencoder-based anomaly detection framework geared toward safeguarding defense networks against large-scale threats such as Distributed Denial-of-Service (DDoS) attacks. Our formulation grounded the detection problem in explicit mathematical terms, modeling benign network traffic as a high-dimensional distribution and flagging observations deviating from this manifold as anomalous. Through the derivation of theoretical bounds, we illuminated how to choose threshold  $\tau$  such that false positives remain manageable while still capturing the lion's share of malicious traffic. This theoretical grounding ensures that system integrators can tune detection sensitivity according to operational requirements, a crucial advantage in environments where real-time responsiveness is paramount.

Our empirical studies, carried out on real-labeled data from a controlled defense testbed, affirm the

method's efficacy. By compressing normal traffic patterns into a low-dimensional latent space, the autoencoder responded sharply when confronted with both high-volume packet floods and subtler low-and-slow infiltration attempts. Benchmarks against Isolation Forest, One-Class SVM, and signature-based IDS highlight the autoencoder's competitive edge in accuracy, lower false positive rates, and the ability to generalize beyond known attack signatures. Moreover, the system maintains near real-time latency-on the order of milliseconds per interval-rendering it feasible for high-throughput security pipelines.

Looking ahead, several avenues stand out for enriching this research. First, integrating advanced interpretability techniques (e.g., formal verification representations, of latent concept-based explanations) could provide deeper assurance to analysts and commanders, especially when heavy reliance on black-box neural networks raises questions of accountability. Second, a multi-agent setup might allow autoencoders deployed in different network enclaves to share partial observations or summarized latent embeddings, enhancing collective detection of distributed or coordinated intrusions. This decentralized intelligence is increasingly relevant for large-scale defense infrastructure that spans multiple geographical or organizational domains. Third, pilot deployments on physical hardware would validate how the system handles real-world constraints such as variable sensor reliability, partial data corruption, and high-speed data ingestion at scales beyond the tested environment. Such deployments would yield insights into the sim-to-real performance gap, informing whether additional domain adaptation or calibration routines are necessary for full-scale adoption.

In the broader context of national security and mission assurance, these developments pave the way for next-generation cyber defenses that adapt in realtime to adversaries' evolving tactics. By bridging rigorous statistical modeling, deep learning architectures, and domain-driven heuristics, the framework offers a robust backbone for threat detection strategies that transcend static rule sets or purely signature-based logic. Our hope is that continued refinement-particularly in the areas of interpretability, multi-agent coordination, and largescale hardware trials-will further solidify the role of autonomous machine learning systems as a bulwark against emergent cyberattacks. As the capabilities of adversaries continue to grow, so too must our commitment to evolving the intelligence and

reliability of AI-driven cyber defense in missioncritical settings.

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